| USST 603 Sem VI Paper III Question Bank |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Sr. no. | Question | option 1 | option 2 | option 3 | option4 |
| 1 | The cost associated with acquiring or replenishing the stock for production is called | Purchase cost | Set up cost | Shortage cost | Inventory holding cost |
| 2 | The cost associated with unfulfilled demand is called | Purchase cost | Set up cost | Shortage cost | Inventory holding cost |
| 3 | Inventory holding cost is denoted by | $\mathrm{C}_{0}$ | $\mathrm{C}_{3}$ | $\mathrm{C}_{2}$ | $\mathrm{C}_{1}$ |
| 4 | Inventory set up cost is denoted by | C0 | C3 | C2 | C1 |
| 5 | The order cost per order of an inventory is Rs. 400/- with an annual carrying cost of R.s. 10 per unit. The economic order Quantity (EOQ) for an annual demand of 2000 units is | 480 | 520 | 420 | 400 |
| 6 | The order cost per order of an inventory is Rs. 400/- with an annual carrying cost of Rs. 10 per unit. The economic order | 480 | 520 | 420 | 400 |


|  | Quantity (EOQ) for an annual demand of 2000 units is |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 7 | In deterministic inventory model if shortages not allowed and production is finite, the growth rate of the inventory will be | R - K | K - R | K-2R | R-2K |
| 8 | In deterministic inventory model, if production is finite, | Order size can be more than production size | Order size has to be less than production size | Order size can be more or less than production size | Order size is independent production size |
| 9 | $\qquad$ is expressed as cost of keeping one unit of item in the inventory for one unit of time | Shortage cost | Inventory holding cost | Lead time | Set up cost |
| 10 | Shortage cost is a sort of | Penalty | Discount | Bonus | Incentive |
| 11 | Set up cost is expressed as | C1 per item | P per item | C3 per Set up | C2 per Set up |
| 12 | Holding Cost is denoted by | C1 | P | C3 | C2 |
| 13 | In deterministic model of inventory where shortages are not allowed and replenishment is infinite, in usual notation | C2 infinity, K finite | C2 finite, K infinity | C2 finite, K finite | C2 infinity, K infinity |
| 14 | In deterministic model of inventory where shortages are allowed and replenishment is infinite, in usual notation | C2 infinity, K finite | C2 finite, K infinity | C2 finite, $K$ finite | C2 infinity, K infinity |
| 15 | For deterministic model II of inventory, if shortages are not allowed, that is, if C 2 is | Model III and IV | Model IV | Model III | Model I |


|  | made infinity, model II becomes a limiting <br> case of |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| 16 | For model II of deterministic inventory, the <br> quantity q ordered in one cycle is | Greater than optimum <br> inventory level S | Lesser than optimum <br> inventory level S | Equal to the <br> optimum inventory <br> level S |
| 18 | In probabilistic models of inventory, <br> probability is associated with the | Greater or lesser <br> than optimum <br> inventory level S |  |  |
| 18 | In probabilistic models of inventory, ------ <br> is variable | Cost of items | Cost | Quantity |


|  | money value also changes with time then present worth of expenditures in $n$ year is |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 24 | Replacement of an item whose maintenance cost increases with time and money value also changes with time then present worth of expenditures in $n$ year is | $C-R_{i} V^{i-1}$ | $C+R_{i} V^{i}$ | $C-R_{i} V^{i}$ | $C+R_{i} V^{i-1}$ |
| 25 | Present worth factor is | The present worth of Re 1 to be spent after 1 year | The present worth of Re 1 to be spent after $n$ years | The present worth of Rs. 100 to be spent after 1 year | The present worth of Rs. 100 to be spent after n years |
| 26 | Present worth factor is | The present worth of Re 1 to be spent after 1 year | The present worth of Re 1 to be spent after $n$ years | The present worth of Rs. 100 to be spent after 1 year | The present worth of Rs. 100 to be spent after n years |
| 27 | The present worth of Rs. 100 to be spent after 3 years at the rate of $10 \%$ is | 99.909 | 90.909 | 90.009 | 99.909 |
| 28 | The amount received after selling a used item is called | Selling price | Salvage value | Discounted Value | Return price |
| 29 | The present worth of Rs. 500 to be spent after 2 years at the rate of $10 \%$ is | 423.113 | 431.223 | 413.223 | 414.332 |
| 30 | The time elapsed from the point the machine fails to perform its function to the | Idle time | Busy Time | Extra time | Break Down time |


|  | point it is repaired and brought into operating condition is known as |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 31 | In Replacement Theory, mortality theorem is used to find | Average age of items | Average number of failures per unit of time | Average Number of survivors per unit of time | Population size |
| 32 | If item is replaced immediately after it fails, then it is known as | Individual replacement | Group replacement | individual \& group replacement | individual or group replacement |
| 33 | The relation between cost of individual replacement C 1 and cost of Group replacement C 2 is | $C_{1}<C_{2}$ | $C_{1}>C_{2}$ | $C_{1} \neq C_{2}$ | $C_{1} \equiv C_{2}$ |
| 34 | Staffing problem in organizations is studied under | Reliability theory | Replacement Theory | Inventory Theory | Simulation Theory |
| 35 | The relation between cost of individual replacement C 1 and cost of Group replacement C 2 is | $C_{1}<C_{2}$ | $C_{1}>C_{2}$ | $C_{1} \neq C_{2}$ | $C_{1} \equiv C_{2}$ |
| 36 | Out of Individual and Group Replacement, the better policy is | Individual | Group | Both are we equally good | Depends on the situation |
| 37 | The working of a real life system is studied under | Reliability theory | Replacement Theory | Inventory Theory | Simulation Theory |
| 38 | For Simulation, the random numbers are allotted to the values of the variable according to | Probability distribution | Equal distribution | Chronological occurance | Sampling distribution |


| 39 | In Generation of Random number by Midsquare method if $\mathrm{a} 0=56$ then a 1 is equal to | 1 | 3 | 13 | 31 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 40 | In Generation of Random number by Midsquare method if $\mathrm{a}_{0}=98$ then $\mathrm{a}_{1}$ is equal to | 9 | 8 | 60 | 96 |
| 41 | If X follows exponential distribution with parameter $\Theta$ then random sample from this exponential population can be generated as | $X=\log _{e}\left(\frac{1}{1-R}\right)$ | $X=\frac{1}{\theta} \log _{e}\left(\frac{1}{1-R}\right)$ | $X=\log _{e}\left(\frac{1}{1+R}\right)$ | $\begin{aligned} & X \\ & =\frac{1}{2 \theta} \log _{e}\left(\frac{1}{1-R}\right) \end{aligned}$ |
| 42 | If X follows exponential distribution with parameter $\Theta$ then random sample from this exponential population can be generated as | $X=\log _{e}\left(\frac{1}{1-R}\right)$ | $X=\frac{1}{\theta} \log _{e}\left(\frac{1}{1-R}\right)$ | $X=\log _{e}\left(\frac{1}{1+R}\right)$ | $=\frac{1}{2 \theta} \log _{e}\left(\frac{1}{1-R}\right)$ |
| 43 | If X follows Uniform distribution with parameter $(-5,5)$ then $x$ is equal to | 10R | 10-5R | $10 \mathrm{R}+5$ | 10R-5 |
| 44 | If X follows Uniform distribution with parameter $(5,15)$ then x is equal to | 10R | 10-5R | $10 \mathrm{R}+5$ | 10R-5 |
| 45 | Concept of Reliability is based on | Probability of time to failure | Probability of optimality of functioning | Probability of cost effectiveness | Probability of time management |
| 46 | A system has three subsystems, in series, subsystem one has reliability of $99.5 \%$ system 2 has the reliability of $98.7 \%$ and system 3 has reliability of $97.3 \%$. The reliability of entire subsystem is | 0.9455 | 0.9455 | 0.9555 | 0.9544 |
| 47 | A system has three subsystems, in parallel, subsystem one has reliability of $99.5 \%$ system 2 has the reliability of $98.7 \%$ and system 3 has reliability of $97.3 \%$. The reliability of entire subsystem is | 0.9888 | 0.99999 | 0.9555 | 0.97777 |


| 48 | The holding cost in an inventory problem is quoted for | All units annually | All units per unit time | Per unit per unit of time | Per unit annually |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 49 | The main costs associated with running an Inventory is $\qquad$ in number | 2 | 3 | 1 | 4 |
| 50 | The payment of a storekeeper is part of | Holding cost | Set up cost | Storage cost | Shortage cost |
| 51 | Cost of making of a phone call to place an order is part of | Holding cost | Set up cost | Storage cost | Shortage cost |
| 52 | Time between placing an order \& actually receiving the order is called | Lead time | Shortage time | carrying time | Replenishment time |
| 53 | In inventory Theory, $\qquad$ is a one time cost | Storage cost | Shortage time | Set up cost | Holding cost |
| 54 | The economic order quantity (EOQ) in first deterministic model of inventory is | $\sqrt{\frac{2 R c_{3}}{c_{1}}}$ | $\sqrt{2 R c_{1}}$ | $\sqrt{2 R c_{1}}$ | $\sqrt{2 R c_{3}}$ |
| 55 | Replenishment rate is finite means | k > infinity | k = infinity | k < infinity | $\mathrm{k}=0$ |
| 56 | Replenishment rate is infinite means | Order of limited size can be placed | Order of any size can be placed | Order can be placed at any time | Order can be placed at regular intervals |
| 57 | In which model demand is certain | Deterministic | Probabilistic | EOQ | Costing System |
| 58 | In which model demand is uncertain | Deterministic | Probabilistic | EOQ | Costing System |
| 59 | In Inventory Model I, If $r=100$ \& $t=25$ then EOQ is | 2500 |  | 4 | 0.25 |
| 60 | If $R=1000 \& q=250$ then time between placing two consecutive order is |  |  | 0.4 | 0.25 |
| 61 | The rate at which the commodity in an inventory are procured is denoted by | Lead time | EOQ | Carrying cost | Replenishment |
| 62 | EOQ stands for | Equal Order Quantity | Economic Order Quote | Economic Outer Quantity | Economic <br> Order <br> Quantity |

\(\left.$$
\begin{array}{|l|l|l|l|l|l|}\hline 63 & \begin{array}{l}\text { If customer is returned without fulfilling his } \\
\text { demand }\end{array} & \begin{array}{l}\text { Holding Cost is } \\
\text { incurred }\end{array} & \begin{array}{l}\text { Shortage Cost } \\
\text { is incurred }\end{array} & \begin{array}{l}\text { Set up Cost is } \\
\text { incurred }\end{array} \\
\hline 64 & \begin{array}{l}\text { The time between placing two consecutive } \\
\text { order is } \\
\text { denoted by }\end{array}
$$ \& p \& k \\

incurred\end{array}\right]\)| t Cost is |
| :--- |
| 65 |
| Price Break means |


| 73 | Discounts are normally associated with | Individual purchase | Defective item purchase | Bulk purchase | Small sized item purchase |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 74 | If ' $i$ ' is the rate of interest then, present value of a rupee 50 spent 10 years from now, will be equal to | $50(1+i)^{-10}$ | $50(1+i)^{10}$ | $50(1-i)^{-10}$ | $500(1-i)^{-10}$ |
| 75 | If ' $i$ ' is the rate of interest then, present value of a rupee 1 spent $n$ years from now, will be equal to | $(1+i)^{-n}$ | $(1+i)^{n}$ | $(1-i)^{-n}$ | $(1-i)^{n}$ |
| 76 | In model I of Replacement Theory, if An s the the maintenance cost then we eplace the items | $A n=R n=R n+1$ | $\mathrm{Rn}<\mathrm{An}>\mathrm{Rn}+1$ | $\mathrm{Rn}<\mathrm{An}<\mathrm{Rn}+1$ | $A n>R n>A n+1$ |
| 77 | If items are replaced as and when they fail, it is called | individual replacement | Group replacement | individual \& group replacement | individual or group replacement |
| 78 | If all items are replaced at the end of the optimal time period, irrespective of whether they failed or not are called | individual replacement | Group replacement | individual \& group replacement | individual or group replacement |
| 79 | Replacement of an item whose maintenance cost increases with time and money value remain unchanged, average cost for previous n year will be | $\frac{C+\sum_{i=1}^{n} R_{i}}{n+1}$ | $\frac{C+\sum_{i=1}^{n} R_{i}}{n}$ | $\frac{C-\sum_{i=1}^{n} R_{i}}{n}$ | $\frac{C \sum_{i=1}^{n} R_{i}}{\sum_{i=1}^{n} V^{i-1}}$ |

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| 80 | Cumulative probabilities are found by | summing all the probabilities associated with a variable. | simulating the initial probability distribution. | summing all the previous probabilities up to the current value of the variable. | summing all the probabilities not associated with a variable. |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 81 | Probability can be obtained from frequency by | summing all frequencies' associated with a variable. | Adding consecutive frequencies | Dividing individual frequency by total frequency | Multiplying all frecuencies |
| 82 | In Simulation theory, for multiplicative congruential method, if $Y_{0}=2, a=5, m=9$ then $Y_{1}$ is | 10 | 45 | 1 | 18 |
| 83 | If X follows exponential distribution with mean 2 then Random observation x is equal to | $2 \log _{e}\left(\frac{1}{1-R}\right)$ | $\frac{1}{2} \log _{e}\left(\frac{1}{1-}\right)$ | $\log _{e}\left(\frac{1}{1-R}\right)$ | $2 \log _{e}\left(\frac{1}{1+R}\right)$ |
| 84 | Consider the two components C1 and C2 with reliabilities R1 and R2 connected in series as, assume that R1 $=0.3$ and R2 $=0.4$. Calculate reliability of the series configuration | 0.12 | 0.58 | 0.78 | 0.42 |
| 85 | Consider the two components C 1 and C 2 with reliabilities R1 and R2 connected in parallel as, assume that R1 $=0.3$ and R2 $=0.4$. Calculate reliability of the parallel configuration | 0.12 | 0.58 | 0.78 | 0.42 |

\(\left.$$
\begin{array}{|l|l|l|l|l|l|}\hline 86 & \begin{array}{l}\text { In different phases of the bathtub curve, } \\
\text { which one is the phase of increasing } \\
\text { failure rate? Choose the most appropriate } \\
\text { alternative. }\end{array} & \text { Infant mortality } & \text { Useful life } & \text { Wear out } & \text { Early failures } \\
\hline 87 & \begin{array}{l}\text { In different phases of the bathtub curve, } \\
\text { which one is the phase of decreasing } \\
\text { failure rate? Choose the most appropriate } \\
\text { alternative. }\end{array}
$$ \& Infant mortality \& Middle life \& Wear out \& Early to middle \\

life\end{array}\right]\)| - |
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